

Introducing Scala-like functional interfaces into Java

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6. Mai 2015

Overview

Function types in Java-8

- Functional interfaces as Java target types of lambda expressions
- Simulating function types

Introducing real function types

- Scala function types

Function types and type-erasures

Integration of functional interfaces and function types

Conclusion and Outlook

Lambda-Expressions in Java 8

```
(x) -> x;
```

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```

has **no** explicit type.

Lambda-expressions get **functional interfaces** as **compatible target types** from the environment.

Functional Interface

Interfaces with a **single abstract method**.

E.g.

```
interface Comparator<T> { int compare(T x, T y); }
interface FileFilter     { boolean accept(File x); }
interface DirectoryStream.Filter<T> { boolean accept(T x); }
interface Runnable      { void run(); }
interface ActionListener { void actionPerformed(...); }
interface Callable<T>   { T call(); }
```

Functional interfaces as compatible target types of lambda expressions

A lambda expression is *compatible* with a type T , if

- ▶ T is a **functional interface** type
- ▶ The lambda expression has the **same number** of parameters as T 's method, and those **parameters' types are the same**
- ▶ Each **expression returned** by the lambda body is **compatible** with T 's method's return type
- ▶ Each **exception** thrown by the lambda body is **allowed by T 's method's** throws clause

Target type (Example)

```
Identity id_fun = (x) -> x;
```

```
interface Identity {  
    int id(int x) ;  
}
```

Application:

```
...  
System.out.println(id_fun.id(5));  
...
```

Problems:

- ▶ The type's structure of `id_fun` is not visible.
- ▶ Method's (`id`'s) type is not principal.
- ▶ The name of the method `id` is arbitrary.

Simulating function types

Canonical representation

Lemma: There is an **equivalence class** of compatible target types for a lambda expression. For the **equivalence class** of the compatible target types of a lambda expression, there is a **canonical representation**

$$\text{Fun}N\langle R, T1, \dots, TN \rangle$$

with

```
interface FunN<R,T1, ..., TN>  
    { R apply(T1 arg1 , ..., TN argN); }
```

if the type of the single method of a compatible target type is

$$(T1, \dots, TN) \rightarrow R$$

Subtyping

$$(T'_1, \dots, T'_N) \rightarrow T_0 \leq^* (T_1, \dots, T_N) \rightarrow T'_0 \quad \text{iff } T_i \leq^* T'_i$$

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Example:

For $\text{Integer} \leq^* \text{Number} \leq^* \text{Object}$ holds:

$$\text{Number} \rightarrow \text{Number} \leq^* \text{Integer} \rightarrow \text{Object}$$

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Example:

For $\text{Integer} \leq^* \text{Number} \leq^* \text{Object}$ holds:

$$\text{Number} \rightarrow \text{Number} \leq^* \text{Integer} \rightarrow \text{Object}$$

but

`Fun1<Number, Number> f_NumNum = ...`

`Fun1<Object, Integer> f_IntObj = f_NumNum`

is **wrong!**, as

$$\text{Fun1} \langle \text{Number}, \text{Number} \rangle \not\leq^* \text{Fun1} \langle \text{Object}, \text{Integer} \rangle$$

Subtyping with wildcards

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but

$$\begin{aligned} \text{Fun}N \langle T_0, T'_1, \dots, T'_N \rangle \\ \leq^* \text{Fun}N \langle ? \text{ extends } T'_0, ? \text{ super } T_1, \dots, ? \text{ super } T_N \rangle, \\ \text{for } T_i \leq^* T'_i \end{aligned}$$

Subtyping with wildcards (Example):

Example:

```
Object m(Integer x, Fun1<? extends Object, ? super Integer> f) {  
    return f.apply(x);  
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Object x1 = m(2, f_IntInt);
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```
Fun1<Integer,Integer> f_IntInt = ...  
Object x1 = m(2, f_IntInt);
```

```
Fun1<Object,Integer> f_IntObj = ...  
Object x2 = m(2, f_IntObj);
```

Subtyping with wildcards (Example):

Example:

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Object m(Integer x, Fun1<? extends Object, ? super Integer> f) {  
    return f.apply(x);  
}
```

```
Fun1<Integer, Integer> f_IntInt = ...  
Object x1 = m(2, f_IntInt);
```

```
Fun1<Object, Integer> f_IntObj = ...  
Object x2 = m(2, f_IntObj);
```

```
Fun1<Number, Number> f_NumNum = ...  
Object x3 = m(2, f_NumNum);
```

Syntax of function types with wildcards

```
//A -> (B -> ((A, B) -> C) -> C))
```

```
g = x -> y -> f -> f.apply(x,y);
```

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//A -> (B -> ((A, B) -> C) -> C))
Fun1<? extends Fun1<? extends Fun1<? extends C,
                                ? super Fun2<? extends C,
                                ? super A,
                                ? super B>>,
                                ? super B>,
                                ? super A>
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                                     ? super B>,  
    ? super A>  
g = x -> y -> f -> f.apply(x,y);
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Ugly syntax!

Direct application of lambda expressions

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((x1, ..., xN) -> h(x1, ..., xN)).apply(arg1, ..., argN);
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```
((FunN<T0, T1,..., TN> )  
 ((x1,..., xN) -> h(x1,..., xN))).apply(arg1....,argN);
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ok!, as there is cast-expression

Currying: $f : T_1 \rightarrow T_2 \rightarrow \dots \rightarrow T_N \rightarrow T_0$

```
((Fun1<Fun1<Fun1<... Fun1<T0, TN>, ...>, T2>, T1> )  
 (x1) -> (x2) -> ... -> (xN) -> h(x1, ..., xN))  
 .apply(a1).apply(a2).....apply(aN)
```


Summary Problems:

- ▶ Loss of function types \Rightarrow Introducing `FunN`-Interfaces
- ▶ `FunN`-Subtyping problem \Rightarrow Using wildcards
- ▶ Impossibility of direct application of lambda expressions
 \Rightarrow Using type-casts

All problems are solvable, but not pretty!!!

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 \Rightarrow Using type-casts

All problems are solvable, but not pretty!!!

\Rightarrow Introducing real function types

Wildcards motivation

```
Vector<? extends Object> v = new Vector<Integer> ();  
    //Subtyping in the parameters is legal  
  
v.addElement(new Object()); //ERROR, as "Object" is not a subtype  
    //of "? extends Object"  
  
Object o = v.elementAt(0); //legal, as "? extends Object" is a  
    //subtype of "Object"
```

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Object o = v.elementAt(0); //legal, as "? extends Object" is a  
    //subtype of "Object"  
  
Vector<? super Integer> v = new Vector<Object> ();  
    //Supertyping in the parameters is legal  
  
v.addElement(new Integer(1)); //legal, as "Integer" is a  
    //subtype of "? super Integer"  
  
Integer i = v.elementAt(0); //ERROR, as "? super Integer" is not  
    //a subtype of "Integer"
```

Comparison to function types

There is no motivation for bounded wildcards to allow subtyping in parameters!!!

It holds:

$$(T'_1, \dots, T'_N) \rightarrow T_0 \leq^* (T_1, \dots, T_N) \rightarrow T'_0, \quad \text{iff } T_i \leq^* T'_i,$$

which means it should hold:

$$\text{Fun}N \langle T_0, T'_1, \dots, T'_N \rangle \leq^* \text{Fun}N \langle T'_0, T_1, \dots, T_N \rangle, \quad \text{for } T_i \not\leq^* T'_i$$

View to Scala

Scala supports variance annotations of type parameters of generic classes. In contrast to Java 5 (aka. JDK 1.5), variance annotations may be added when a **class abstraction is defined**, whereas in Java 5, variance annotations are given by clients when a **class abstraction is used**.

[Scala Tutorial]

View to Scala

Scala supports variance annotations of type parameters of generic classes. In contrast to Java 5 (aka. JDK 1.5), variance annotations may be added when a **class abstraction is defined**, whereas in Java 5, variance annotations are given by clients when a **class abstraction is used**.

[Scala Tutorial]

```
trait Function_n[-T1 , ... , -Tn, +R] {  
  def apply(x1: T1 , ... , xn: Tn): R  
  override def toString = "<function>"  
}
```

Introduction of FunN*

```
interface FunN* <+R, -T1, ..., -TN> {  
    R apply(T1 arg1, ..., TN argN);  
}
```

where

- ▶ $\text{FunN}^* \langle T_0, T'_1, \dots, T'_N \rangle \leq^* \text{FunN}^* \langle T'_0, T_1, \dots, T_N \rangle$ iff $T_i \leq^* T'_i$
- ▶ For FunN^* no wildcards are allowed.

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Proposal: Lambda-expressions are explicitly typed by FunN*-types

Solved Problems

- ▶ Lambda-expressions **has types**
- ▶ $\text{Fun}N^*$ -types allows **subtyping without wildcards**
- ▶ Direct application of lambda-expressions is possible **without type-casts**, as lambda-expressions have types.

Function types and type-erasures

Overloading example

```
void apply(Fun*1<Integer, Integer> f) { ... }
```

```
void apply(Fun*1<Boolean, Boolean> f) { ... }
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Leads in byte-code to (type-erasure):

```
void apply(Fun*1 f) { ... }
```

```
void apply(Fun*1 f) { ... }
```

Ambiguous overloading!

Translation without Type-Erasures

- ▶ *Generic instances in Java Byte Code* [Pluemicke 2014, Bad Honnef]

Approach to solve class loading performance problem

- ▶ Idea: Instantiated types are subtypes of the non-instantiated type [Ureche, Talau, Odersky: *Miniboxing: improving the speed to code size tradeoff in parametric polymorphism translations*, OOPSLA, 2013]

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- ▶ *Two Ways to Bake Your Pizza - Translating Parameterised Types into Java* [Odersky, Runne, Wadler 2000]

Approach to solve class loading performance problem

- ▶ changed class loader, that needs only loading a part of the type instanced classes.

Integration Functional Interfaces and FunN* -Type

- ▶ Java lambda-expressions get FunN* -Types as explicit types.
- ▶ Target typing by functional interfaces are preserved.
- ▶ A target type is compatible, if its method's type is a supertype of the FunN* -type.

Brian Goetz's (Oracle) arguments against real function types

- ▶ It would add complexity to the type system and further mix structural and nominal types (Java is almost entirely nominally typed).
- ▶ It would lead to a divergence of library styles – some libraries would continue to use callback interfaces, while others would use structural function types.
- ▶ The syntax could be unwieldy, especially when checked exceptions were included.
- ▶ It is unlikely that there would be a runtime representation for each distinct function type, meaning developers would be further exposed to and limited by erasure. For example, it would not be possible (perhaps surprisingly) to overload methods $m(T \rightarrow U)$ and $m(X \rightarrow Y)$.

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Conclusion and Outlook

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- ▶ Problems with functional interfaces as target types of lambda-expressions in Java 8.
- ▶ Simulating of function types by functional interfaces `FunN`.
- ▶ Introduction of Scala-like functional interfaces into Java.
- ▶ Integration of both approaches.

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- ▶ Integration of both approaches.

Outlook

- ▶ Theoretical foundation
- ▶ Implementation
- ▶ Bytecode without type-erasures

Stellenausschreibung

DHBW (M. Plümicke) gemeinsam mit der Uni Freiburg (P. Thiemann)

Wissenschaftlicher Mitarbeiter/in

Promotionsthema: Real function types in Java

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